

Name: _____ Date: _____



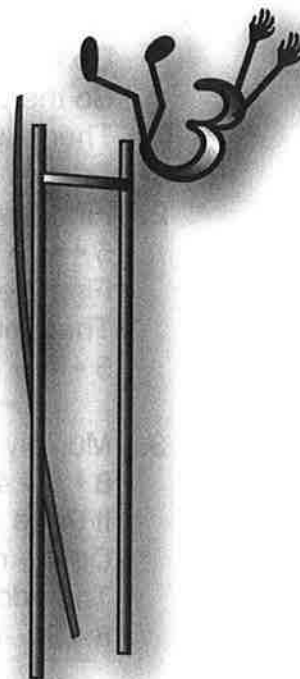
Chapter 2: Operations of Numbers and Variables (cont.)



Practice: Order of Operations

Directions: Solve the following problems, using the correct order of operations. When a variable is used in the denominator, assume that the value is not zero.

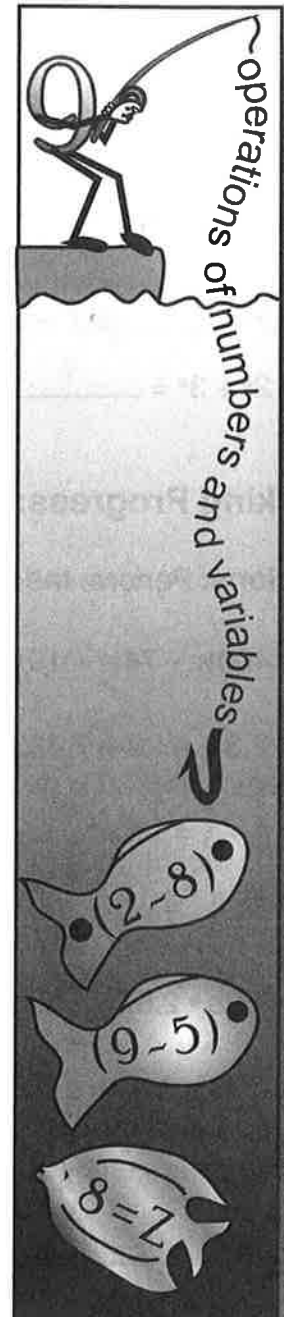
1. $2 \div 4 \cdot 6 - 2 =$ _____
2. $\frac{3}{7} \div (\frac{5}{7} \cdot 5) =$ _____
3. $\frac{3}{7} \div \frac{5}{7} \cdot 5 =$ _____
4. $6 - 2 \cdot 5 + 12 \div 2 =$ _____
5. $5 \div 2 - 2 \cdot 1.5 =$ _____
6. $5 \div (2 - 2) \cdot 1.5 =$ _____
7. $5 - 2 \cdot 8 + 9 \div 3 =$ _____
8. $5 \div (2 - (2 \cdot 1.5)) =$ _____
9. $200 - 5,000 \div 100 + 100 =$ _____
10. $30 \cdot 2 \div \underline{\hspace{2cm}} = 15$
11. $30 \cdot (2 \div \underline{\hspace{2cm}}) = 15$
12. $42a \div 3a - 5 =$ _____
13. $42a \div 3 - a - 5 =$ _____
14. $4 - 3^2 \cdot 2 \div 4 =$ _____
15. $(4 - 3^2) \cdot 2 \div 4 =$ _____
16. $8a \div (5a) + 3 \cdot 9 - 2 =$ _____
17. $(8a \div 5)a + 3 \cdot 9 - 2 =$ _____
18. $6z - 4 + 2z - 9z \div z =$ _____
19. $3(2 + 4) + 3(1 + 3) =$ _____



Name: _____ Date: _____

Chapter 2: Operations of Numbers and Variables (cont.)

20. $2 - 3^2(4 - 5) = \underline{\hspace{2cm}}$
21. $32 \div 8 \div 2 \cdot 8 \cdot 2 = \underline{\hspace{2cm}}$
22. $81^5 \cdot (49 - 7^2) = \underline{\hspace{2cm}}$
23. $16 \cdot 5 - 12 \cdot 5 - 4 \cdot 5 = \underline{\hspace{2cm}}$
24. $\frac{180}{55} \cdot 11 \cdot 5 = \underline{\hspace{2cm}}$
25. $11 \cdot 180 \div 55 \cdot 5 = \underline{\hspace{2cm}}$
26. $54 \div 7 - 28 \div 7 - 25 \div 7 = \underline{\hspace{2cm}}$
27. $82a - 28a + \underline{\hspace{2cm}} = 100a$
28. $\frac{2}{a} + \frac{4}{a} + \frac{122}{a} = \underline{\hspace{2cm}}$
29. $128a + 12a - \underline{\hspace{2cm}} = 72a$
30. $\frac{12}{4^2 - 2^4} = \underline{\hspace{2cm}}$
31. $12 \cdot 4^2 - 2^4 - 10 \cdot 16 = \underline{\hspace{2cm}}$
32. $6^2 + (3^3 - 8) - 5 = \underline{\hspace{2cm}}$
33. $92 - 8 \cdot 9 - 5 \cdot 8 = \underline{\hspace{2cm}}$
34. $(92 - 8) \cdot (9 - 5 \cdot 8) = \underline{\hspace{2cm}}$
35. $(92 - 8 \cdot 9 - 5) \cdot 8 = \underline{\hspace{2cm}}$
36. $9(2 - 8 \cdot 9 - 5 \cdot 8) = \underline{\hspace{2cm}}$
37. $9(2 - 8) \cdot (9 - 5) \cdot 8 = \underline{\hspace{2cm}}$
38. $53(9^2 - 5 - \underline{\hspace{2cm}}) = 0$
39. $\frac{32 + 5 - \underline{\hspace{2cm}}}{543^3} = 0$
40. $9s + 3(8 - s) + 13 + 3s = \underline{\hspace{2cm}}$



Name: _____ Date: _____

Chapter 3: Integers (cont.)

Practice: Addition and Subtraction of Integers

Directions: Perform the indicated operations.

1. $1 - 3 + 7 - 19 + (-3) - (-8) = \underline{\hspace{2cm}}$

2. $-3 - (-33) - (-3,333) - 33 = \underline{\hspace{2cm}}$

3. $5 - 9 + 2 - \underline{\hspace{2cm}} = 21$

4. $28 - 5 = 28 + \underline{\hspace{2cm}}$

5. $28 - (-5) = 28 + \underline{\hspace{2cm}}$

6. $-33 + \underline{\hspace{2cm}} = -38 + 7$

7. $4 + 40 + 400 - (-4) - (-40) - (-400) = \underline{\hspace{2cm}}$

8. $-4 + (-40) + (-400) - 4 - 40 - 400 = \underline{\hspace{2cm}}$

9. $4 + 40 + 400 - 4 - 40 - 400 = \underline{\hspace{2cm}}$

10. $56 - 98 + 89 - 65 - 43 + \underline{\hspace{2cm}} = -27$

11. $1 - 2 + 3 - 4 + 5 - 6 + 7 - 8 + 9 - 10 = \underline{\hspace{2cm}}$

12. $10 - 9 - 8 + 7 + 6 - 5 - 4 + 3 + 2 - 1 = \underline{\hspace{2cm}}$

13. $-10 - (-9) - (-8) + (-7) + (-6) - (-5) - (-4) + (-3) + (-2) - (-1) = \underline{\hspace{2cm}}$

14. $100 - 90 - 80 + 70 + 60 - 50 - 40 + 30 + 20 - 10 = \underline{\hspace{2cm}}$

15. $299 - 132 = \underline{\hspace{2cm}} - (-305)$



Name: _____ Date: _____

Chapter 3: Integers (cont.)

Basic Overview: Multiplication and Division of Integers

The multiplication of integers uses what you already know about the multiplication of whole numbers. Multiplying two positive integers results in a positive integer answer. Multiply a positive and a negative integer as if both were positive, and make the final answer negative. Multiply two negative integers as if both were positive, and make the final answer positive. Learning division is simply a matter of connecting division to multiplication. Since division and multiplication are inverse operations, integer division is built on what we already know.

Examples of Multiplying Integers:

$$3 \cdot 5 = 15$$

$$3 \cdot -5 = -15$$

Examples of Dividing Integers:

$$15 \div 3 = 5$$

$$-15 \div 3 = -5$$



Practice: Multiplication and Division of Integers

Directions: Perform the indicated operations.

1. $-16 \div 3 \div 4 \cdot (-9) = \underline{\hspace{2cm}}$
2. $-23 \div 5 = \underline{\hspace{2cm}} \div (-5)$
3. $(-23 \div 5) \cdot (5 \div 23) = \underline{\hspace{2cm}}$
4. $(-3 \div 5) \div (5 \div 3) \cdot 250 = \underline{\hspace{2cm}}$
5. $345 \div -5 = \underline{\hspace{2cm}}$
6. $\underline{\hspace{2cm}} \div (-7) = -31$
7. $280 \div \underline{\hspace{2cm}} = -7$
8. $3 \cdot (-4) \div 5 \cdot 6 \div 9 \cdot (-15) = \underline{\hspace{2cm}}$

Name: _____ Date: _____



Chapter 4: Properties



Basic Overview: Identity and Inverse Properties of Addition and Multiplication

Number operations have certain properties or rules. The properties related to algebra include the Identity Properties, Commutative Properties, and Associative Properties of Addition and Multiplication, and the Distributive Property of Multiplication Over Addition.

When adding or subtracting zero and any number or variable, the answer is the number or variable. This is the Identity Property of Addition and Subtraction. The Identity Property of Multiplication states that any number or variable multiplied by 1 is that number or variable. Inverse operations are operations that cancel each other. For example, addition and subtraction are inverse operations. Reciprocal or Multiplicative Inverse Operations are operations in which two numbers are multiplied, and the product is 1.

Examples of the Identity Property of Addition:

$$4 + 0 = 4$$

$$a + 0 = a$$

$$2b + 0 = 2b$$



Examples of the Identity Property of Multiplication:

$$13 \cdot 1 = 13$$

$$c \cdot 1 = c$$



Examples of Inverse Operations and Reciprocals:

$$a + (-a) = 0$$

$$a \cdot \frac{1}{a} = 1$$



Name: _____ Date: _____

Chapter 4: Properties (cont.)

Practice: Identity and Inverse Properties of Addition and Multiplication

Directions: Use the identity or inverse properties of addition or multiplication to solve the following.

1. $432 \cdot \underline{\hspace{2cm}} = 1$
2. $0.23 \cdot \underline{\hspace{2cm}} = 1$
3. $\underline{\hspace{2cm}} \cdot 10,000 = 1$
4. $-2,342 + \underline{\hspace{2cm}} = 0$
5. $392 + (-566) + 182 + (-392) + (-182) + 566 = \underline{\hspace{2cm}}$
6. $392 + (-566) + \underline{\hspace{2cm}} = -182 + 392 + 182 + (-566)$
7. $\frac{147}{213} \cdot \underline{\hspace{2cm}} = 1$
8. $\underline{\hspace{2cm}} \cdot 3.5 = 1$
9. $0 = x + (x + y) + (y + z) + \underline{\hspace{2cm}}$
10. $\frac{0.15}{4} \cdot \underline{\hspace{2cm}} = 1$



Challenge Problems: Identity and Inverse Properties of Addition and Multiplication

1. $(438 + 951 - 17) \cdot \underline{\hspace{2cm}} = 1$
2. Yasmine thought that the multiplicative inverse of 0.33 would be 0.67. Why do you think she said that, and do you agree with her? _____

3. $\frac{117}{23} \cdot \frac{\underline{\hspace{2cm}}}{117} \cdot \frac{59}{37} \cdot \frac{23}{59} = 1$
4. $3.5 \cdot \frac{1}{\underline{\hspace{2cm}}} = 1$
5. $\frac{0}{13} \cdot \underline{\hspace{2cm}} = 1$

Name: _____ Date: _____



Chapter 5: Exponents and Exponential Expressions (cont.)



Basic Overview: Multiplication and Division of Exponential Expressions

Two exponential expressions can be multiplied if they have the same base. Add the exponents and use this sum with the same base: $(n^2)(n^5) = n^{2+5} = n^7$.

You can divide exponential expressions with the same base. Subtract the denominator exponent from the numerator exponent, and use this difference with the same base $(n^5) \div (n^3) = n^{5-3} = n^2$.

Example of Multiplying Exponential Expressions:

$$(5^2)(5^5) =$$

Add the exponents. $2+5=7$

Raise the common base to this exponent. $5^7 = 78,125$

Example of Multiplying Exponential Expressions With Coefficients:

$$(3x^2)(5x^5) =$$

Multiply the coefficients. $(3)(5) = 15$

Add the exponents. $2+5=7$

Multiply the factors. $15x^7$

Example of Dividing Exponential Expressions:

$$8^5 \div 8^2 =$$

Subtract the exponents. $5-2=3$

Raise the common base to this exponent.

$$8^5 \div 8^2 = 8^3, \text{ or } 512$$



Name: _____ Date: _____



Chapter 5: Exponents and Exponential Expressions (cont.)



Practice: Multiplication and Division of Exponential Expressions

Directions: Simplify the expressions using only positive exponents.

1. $(p^3)(p^5)$ _____

2. $(3^3)(3^8)$ _____

3. $3^5 \div 3^3$ _____

4. $x^5 \div x^3, x \neq 0$ _____

5. $\frac{15^5}{15^3}$ _____

6. $\frac{42x^5}{21x^3}, x \neq 0$ _____

7. $(4^2)(4^8)(4^7)(4)$ _____

8. $[(5^2) \div (5^8)] \cdot [(5^7)(5^3)]$ _____

9. $[(5^2)(5^8)] \div [(5^7)(5^3)]$ _____

10. $[(5^2)(5^8)] \div (5^7)(5^3)$ _____

11. $\frac{11^4}{11^3} \cdot \frac{11^8}{11^5}$ _____

12. $13^7 \cdot \underline{\hspace{2cm}} = 13^{49}$

13. $a^9 \cdot b^9 \cdot b^{43} \cdot a^4 \cdot b^7$ _____

14. $(a^9 \cdot b^9 \cdot b^{43}) \div (a^4 \cdot b^7)$ _____

15. $(a^9 \cdot b^9) \div (b^{43} \cdot a^4) \cdot b^7$ _____

16. $a^9 \div b^9 \cdot b^{43} \cdot a^4 \div b^7$ _____

17. $a^9 \div b^9 \div b^{43} \div a^4 \cdot b^7$ _____

18. $s^{29}t^{33} \div \underline{\hspace{2cm}} = \frac{t^5}{s^9}$

19. _____ $\div (19^5 \cdot 3^7) = (19^2 \cdot 3^9)$

20. $3^5 \cdot 5^7 \cdot 3^{12} \cdot 3$ _____



Name: _____ Date: _____

Chapter 6: Square Roots (cont.)

Examples of Simplifying Radical Expressions:

If two radical expressions are multiplied together, they can be written as products under the same radical sign.

$$(\sqrt{3})(\sqrt{27}) =$$

$$\sqrt{(3)(27)} =$$

$$\sqrt{81} =$$

$$9$$

Find factors for the number under the radical and take the square root of the factors.

$$\sqrt{18}$$

$$\sqrt{(2)(9)}$$

$$\sqrt{(2)(9)} = (\sqrt{2})(\sqrt{9})$$

$$\sqrt{(2)(9)} = (3\sqrt{2})$$

$$\sqrt{(2)(9)} \approx 3 \cdot 1.414$$

Note that this is \approx and not $=$, because the number has been rounded.

$$\sqrt{(2)(9)} \approx 4.2426$$

If two numbers are divided under a radical sign, they can be separated into two radicals.

$$\sqrt{\frac{9}{4}}$$

$$\frac{\sqrt{9}}{\sqrt{4}}$$

$$\sqrt{9} = 3 \quad \sqrt{4} = 2$$

$$\sqrt{\frac{9}{4}} = \frac{3}{2}$$



Name: _____ Date: _____



Chapter 6: Square Roots (cont.)



Examples of Simplifying Radical Expressions:

Multiplying the numerator and denominator of a radical expression by the same number does not change the value.

$$\begin{aligned}\frac{5}{\sqrt{3}} &= \\ \left(\frac{5}{\sqrt{3}}\right)\left(\frac{\sqrt{3}}{\sqrt{3}}\right) &= \\ \left(\frac{5}{\sqrt{3}}\right)\left(\frac{\sqrt{3}}{\sqrt{3}}\right) &= \frac{5\sqrt{3}}{\sqrt{3}(3)} = \frac{5\sqrt{3}}{\sqrt{9}} \\ \frac{5}{\sqrt{3}} &= \frac{5\sqrt{3}}{\sqrt{9}} = \frac{5\sqrt{3}}{3}\end{aligned}$$

Practice: Square Roots

Directions: Simplify each expression. Remember, a radical is not simplified if it has a radical in the denominator.

1. $\sqrt{49}$ _____

2. $\sqrt{100}$ _____

3. $\sqrt{0.36}$ _____

4. $\sqrt{400}$ _____

5. $\sqrt{40}$ _____

6. $\sqrt{1,210}$ _____

7. $(\sqrt{5})(\sqrt{5})(\sqrt{5})(\sqrt{5})(\sqrt{5})(\sqrt{5})$

8. $\sqrt{(16)(9)}$ _____

9. $\sqrt{(3)(6)(10)(5)}$ _____

10. $\sqrt{(35)(56)(40)}$ _____

11. $\sqrt{81}$ _____

12. $\sqrt{2,500}$ _____

13. $\sqrt{300}$ _____

14. $\sqrt{0.04}$ _____

15. $\sqrt{121}$ _____

16. $(\sqrt{1})(\sqrt{1})(\sqrt{1})(\sqrt{1})$ _____

17. $5\sqrt{75}$ _____

18. $\sqrt{(4)(25)(36)}$ _____

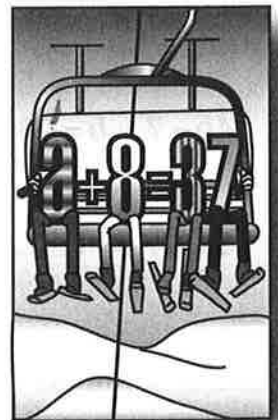
19. $\sqrt{(25)(49)(64)}$ _____

20. $\sqrt{(24)(24)(13)(13)}$ _____

Name: _____ Date: _____

**Chapter 7: Using Algebra to Generalize Patterns (cont.)****PART 1****Practice: Using Algebra to Generalize Patterns Solving Linear Equations****Directions:** Solve each linear equation.

- 1 $-6x = 36$ _____
- 2 $a + 8 = 37$ _____
- 3 $23 = 2 + 3x$ _____
- 4 $2x + 10 = -26$ _____
- 5 $b + 7 + 2b = 28$ _____
- 6 $-5x = 35$ _____
- 7 $a + 5 = 37$ _____
- 8 $23 = 1 + 2x$ _____
- 9 $4x + 10 = -26$ _____
- 10 $5b + 7 + 2b = 23$ _____

**Challenge Problems: Using Algebra to Generalize Patterns Solving Linear Equations****Directions:** Solve each linear equation.

- 1 $6x - 9 = 6x + 12$ _____
- 2 $3x - a = 12$ has a solution of $x = 5$. What is the value of a ? _____
- 3 $3(x - 5) + 2 = 7 - x$ _____
- 4 $6x - 5 = 12x + 5$ _____
- 5 $3(4 - x) = 5(2x - 9)$ _____